

Lab 2: Radiation Measurement Model Answers

How to Evaluate Assignments Using Model Answers

Radiation values vary between lab sections and even within a single lab period. Unfortunately, we can't provide high quality answers for the conditions experienced in every lab. So, we use model answers to indicate the key points to consider for the types of radiation we measured, and the instruments we used. They show the steps for each calculation and how to report them. They explain values observed at an enclosed site in early January under both clear conditions and cloudy conditions (see 4 below), but they do not show your lab's measured values and data. So, when checking your work, choose the example that most closely matches your lab's weather conditions.

Your answers should follow the principles indicated in the model answers, but they must represent the weather conditions /data you observed. When correcting, revise /augment your original answer using your collected data (not numbers from this answer key). Specifically:

1. Calculations should: 1) follow model answer methods /steps but use your data; 2) contain similar levels of reporting detail; 3) have identical units. However, expect your assignment values to differ as temperature / sky conditions during your measurement period likely differed.
2. The explanations in these model answers cover a wide range of radiation conditions and highlight issues to consider under different conditions. Again, your answers should report and interpret the sky and temperature and weather conditions that occurred during your measurement period. Your explanations must relate to your weather conditions. Clarify any confusing points with an instructor as needed.
3. When comparing data between the UNBC Weather Station (Wx Stn) and our observations, realize that the Wx Stn instruments measure every 2 seconds and report a 10-minute average (for the data table we used), while our measurements are instantaneous readings. Under rapidly changing sky or weather conditions, these different data collection methods can make observations appear less consistent.
4. The site where data was collected for these model answers is on the UNBC Prince George campus, in the middle of the drop-off loop located on the east (city-side) of the Teaching and Learning Building (Bld. 10). For a sky view image of the site, see the photo on the last page of these answers. The radiation values represent mid-morning light conditions in mid-January for two example situations: clear conditions [Table 1a) Jan 15, 2008; in yellow colour-coded tables]; and thick cloud conditions when it was snowing heavily with very low light levels [Table 1b) Jan 14, 2008; blue colour-coded tables].
5. At the end of this answer key, the UNBC Weather Station (UNBC Wx Stn) graph shows the conditions that occurred during your lab's observations and provides key answer points to consider for each lab section.

Radiation Concepts: Your explanation answers should be consistent with these principles

- $K\downarrow$ (incoming solar or shortwave radiation) encompasses direct and diffuse shortwave radiation. As a photon, or wave form of energy, $K\downarrow$ can be scattered /reflected, absorbed, or transmitted. It is always positive.
- $K\uparrow$ (reflected solar or shortwave radiation that is reflected from a surface) $K\uparrow$ is always a portion of $K\downarrow$, so it must be less than $K\downarrow$. It is always positive.
- $L\downarrow$ or $L\uparrow$ (longwave or infrared (IR) radiation) depends on the temperature of the object being measured (i.e. sky, clouds, buildings, glass, roads, grass, snow, etc.). IR thermometers detect an object's emitted IR radiation as a temperature. IR thermometer readings of objects are typically warmer (i.e. longwave radiation values are larger) when the ambient air temperature on the day your observations are made is higher (or conversely cooler (longwave values are smaller) when the ambient air temperature is lower).

$L\downarrow$ (incoming longwave) depends on the temperature of the sky or sky objects. For weather monitoring, $L\downarrow$ is dominated by the sky condition (clear versus cloud) with much smaller contributions from buildings, trees, etc. as our sites are chosen for observing sky conditions. Clouds are much warmer than clear skies resulting in higher $L\downarrow$ values and sky temperatures. Clouds warm as they absorb the longwave radiation that is emitted by the ground. Thick, low clouds are the warmest; they are also usually the darkest clouds.

$L\downarrow$ is smaller on clear days (IR thermometer readings are colder) because the surface's longwave radiation can travel higher into the atmosphere before it is absorbed by atmospheric gases or lost to space.

$L\uparrow$ (outgoing longwave) depends on the temperature of the ground /surface being measured. Ground temperatures vary with ambient air temperatures, the type of surface material which affects the albedo, and the surface's exposure to solar radiation. The exposure of surfaces to sunlight (or shading) is caused by current sky conditions, sun angle, or their location (i.e. near objects that can heat or shade the site). These factors control how much radiation the ground surface can absorb, which affects its temperature and resulting IR emissions.

Q^* (net all-wave radiation) integrates all radiation balance components: $Q^* = (K^* + L^*) = (K\downarrow - K\uparrow) + (L\downarrow - L\uparrow)$.

A net radiometer measures Q^* as a single instantaneous, integrated measurement of all the radiation components ($K\downarrow$, $K\uparrow$, $L\downarrow$, $L\uparrow$), so there are no time delay errors in the measurement.

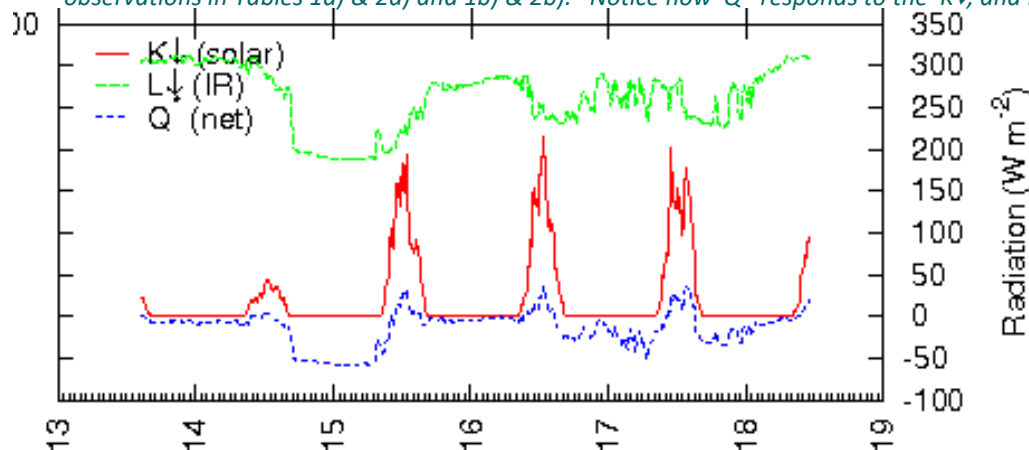
[When you determine Q^* by measuring the individual radiation balance components ($K\downarrow$, $K\uparrow$, $L\downarrow$, $L\uparrow$) and then calculate Q^* from $Q^* = (K\downarrow - K\uparrow) + (L\downarrow - L\uparrow)$, time delays can cause issues. This method leads to large errors when sky conditions are changing rapidly.]

The points below show how integrated, instantaneous Q^* measurements appear under:

- clear sky, daylight periods: Q^* is dominated by K^* .
- night conditions (no solar radiation or $K^* = 0$): $Q^* = L^*$
- cloudy conditions (which are the most complex for Q^*): Here we must carefully consider the sky (and weather) conditions as either K^* or L^* can dominate. When evaluating your answers to determine the reason for your Q^* value, look at the individual \downarrow or \uparrow components of both the K and L values. Then consider the net effect...are K^* and L^* positive or negative values?

The UNBC Wx Stn radiation graph is useful when interpreting radiation as all the radiation components that control Q^* (i.e. $K\downarrow$, $K\uparrow$, $L\downarrow$, $L\uparrow$) are plotted on one graph as a time sequence. Fig 1 is an example, it also shows the data that was used for these model answers.

Fig. 1: UNBC Weather Station Radiation, Jan 14 – 17, 2008 showing the data collected at the same time as the observations in Tables 1a) & 2a) and 1b) & 2b). Notice how Q^* responds to the $K\downarrow$ and $L\downarrow$ patterns.



Jan. 14 is a warm snowy, foggy day with very low light, while **Jan 15** is a clearer, cold, brighter day.

Model Answers - Observations:

TABLE 1a): Enclosed Site under Clear Weather Conditions

Sample values from a **sunny morning** in mid-January (Jan. 15, 2008) for the drop-off loop outside of the east (city-side) of the Teaching and Learning Building. Under similar sky and ground cover conditions, your enclosed site data should be similar. Calculations show units and method details. Ask your instructor if you aren't sure how to evaluate your answers.

Instrument: (include type & serial #)	Rad' n Component	Calibration Coefficient or Value (include units)	Instrument Output /Reading (include units)	Calculated Radiation Value in Wm^{-2} (show an example of each calculation)	Reading Time PST	Weather Conditions & Comments
Net Radiometer (REBS 2)	Q^*	For + = $8.43 \frac{Wm^{-2}}{mV}$ For - = $12.73 \frac{Wm^{-2}}{mV}$	-3.1 mV	Use the negative calibration coefficient as the instrument voltage is negative. $Q^* = [(-3.1 \text{ mV})(12.73 \text{ } Wm^{-2}/mV)]$ $= -39.5 \text{ } Wm^{-2} = \mathbf{-40 \text{ } Wm^{-2}}$	10:09	Mostly clear sky, with cirrus clouds; -10°C; very light wind
Pyranometer (CMP #209505)	$K\downarrow$	$19.02 \frac{\mu V}{Wm^{-2}}$	1.22 mV	$K\downarrow = (1.22 \text{ mV}) (\frac{1000 \mu V}{1 \text{ mV}}) (\frac{1 \text{ } Wm^{-2}}{19.02 \mu V})$ $= 64.14 \text{ } Wm^{-2} = 64.1 \text{ } Wm^{-2} = \mathbf{64 \text{ } Wm^{-2}}$	10:05	Same as above
Pyranometer (CMP #209500)	$K\uparrow$	$19.27 \frac{\mu V}{Wm^{-2}}$ which equals $19.27 \times 10^{-6} \frac{V}{Wm^{-2}}$	0.62 mV	E.g. calculation using $19.27 \times 10^{-6} \frac{V}{Wm^{-2}}$ form $K\uparrow = (0.62 \text{ mV}) (\frac{1 \text{ V}}{1000 \text{ mV}}) (\frac{1 \text{ } Wm^{-2}}{19.27 \times 10^{-6} \text{ V}})$ $= 32.17 \text{ } Wm^{-2} = 32.2 \text{ } Wm^{-2} = \mathbf{32 \text{ } Wm^{-2}}$	10:06	Same as above
IR Radiation Thermometer (ExTech 42512 or Mikron IR Thermometer)	$L\downarrow$	Determine the percentage of the site at each temperature °C; total & convert to energy using Stefan-Boltzmann's law.	Clear sky = 40% @ -48°C Cloud = 45% @ -47°C Building = 10% @ -5 °C Glass = 5% @ -9°C	Calculated temperature as a weighted average: $T = [(0.40)(-48)] + [(0.45)(-47)] + [(0.10)(-5)] + [(0.05)(-9)] \text{ } ^\circ C =$ $= [(-19.2) + (-21.15) + (-0.5) + (-0.45)] \text{ } ^\circ C = -41.3 \text{ } ^\circ C$ Convert to Kelvin = $(-41.3 \text{ } ^\circ C + 273.15)$ $= 231.85 \text{ K}$ Convert to $L\downarrow = \sigma T^4$ $L\downarrow = (5.67 \times 10^{-8} \text{ } Wm^{-2} K^{-4})(231.85 \text{ K})^4$ $= 163.84 \text{ } Wm^{-2} = \mathbf{164 \text{ } Wm^{-2}}$	10:12	Same as above but with thickening cirrus cloud cover
IR Radiation Thermometer (ExTech 42512 or Mikron IR Thermometer)	$L\uparrow$	Determine the percentage of the site at each temperature °C; total & convert to energy using Stefan-Boltzmann's law.	80% snowy ground @ -15°C 20% snowy ground with gravel @ -11°C	Calculated temperature as a weighted average: $T = [(0.80)(-15^\circ C)] + [(0.20)(-11^\circ C)] =$ $= [(-12) + (-2.2)] \text{ } ^\circ C = -14.2 \text{ } ^\circ C$ Convert to Kelvin: $= -14.2 \text{ } ^\circ C + 273.15 \text{ K} = 258.95 \text{ K}$ Convert to $L\uparrow = \sigma T^4$ $L\uparrow = (5.67 \times 10^{-8} \text{ } Wm^{-2} K^{-4})(258.95 \text{ K})^4$ $= 254.945 \text{ } Wm^{-2} = \mathbf{255 \text{ } Wm^{-2}}$	10:17	Same as $L\downarrow$ conditions above

TABLE 1b): Enclosed Site under Snowing Weather Conditions

Sample values from a **heavy snowfall morning** in mid-January (Jan. 14, 2008) for the drop-off loop outside of the east side of the Teaching and Learning Building. Building. Under similar sky and ground cover conditions, your enclosed site data should be similar. Calculations show units and method details. Ask your instructor if you aren't sure how to evaluate your answers.

Instrument: (include type & serial #)	Rad' n Component	Calibration Coefficient or Value (include units)	Instrument Output /Reading (include units)	Calculated Radiation Value in Wm^{-2} (show an example of each calculation)	Reading Time PST	Weather Conditions & Comments
Net Radiometer (REBS 1)	Q*	For $+ = 8.50 \frac{Wm^{-2}}{mV}$ For $- = 12.84 \frac{Wm^{-2}}{mV}$	-1.10 mV	Again, use the negative calibration as the instrument voltage is negative $Q^* = [(-1.10 \text{ mV})(12.84 \text{ } Wm^{-2}/mV)]$ $= -14.124 \text{ } Wm^{-2} = \mathbf{-14 \text{ } Wm^{-2}}$	10:30	Heavy snowfall, 100% stratus clouds; temperatures just below freezing; some wind
Pyranometer (CMP #209505)	K↓	$19.02 \times 10^{-6} \frac{V}{Wm^{-2}}$ which equals $19.02 \times 10^{-6} \frac{V}{Wm^{-2}}$	0.31 mV	E.g. calculation using $19.02 \times 10^{-6} \frac{V}{Wm^{-2}}$ form $K\downarrow = (0.31 \text{ mV})\left(\frac{1 \text{ V}}{1000 \text{ mV}}\right)\left(\frac{1 \text{ } Wm^{-2}}{19.02 \times 10^{-6} \text{ V}}\right)$ $= 16.30 \text{ } Wm^{-2} = 16.3 \text{ } Wm^{-2} = \mathbf{16 \text{ } Wm^{-2}}$	10:32	Same as above
Pyranometer (CMP #209500)	K↑	$19.27 \frac{\mu V}{Wm^{-2}}$	0.21 mV	$K\uparrow = (0.21 \text{ mV})\left(\frac{1000 \text{ } \mu V}{1 \text{ mV}}\right)\left(\frac{1 \text{ } Wm^{-2}}{19.27 \text{ } \mu V}\right)$ $= 10.90 \text{ } Wm^{-2} = 10.9 \text{ } Wm^{-2} = \mathbf{11 \text{ } Wm^{-2}}$	10:33	Same as above
IR Radiation Thermometer (ExTech 42512 or Mikron IR Thermometer)	L↓	Determine the percentage of the site at each temperature °C; total & convert to energy using Stefan-Boltzmann's law.	Cloudy sky 100% @ -3°C	Weather conditions make all the L↓ temperatures the same this day. $T = (-3 \text{ } ^\circ C)(1.00)$ Convert to Kelvin = $(-3 \text{ } ^\circ C + 273.15)$ $= 270.15 \text{ K}$ Convert to $L\downarrow = \sigma T^4$ $L\downarrow = (5.67 \times 10^{-8} \text{ } Wm^{-2} \text{ K}^{-4}) \times (270.15 \text{ K})^4$ $= 301.997 \text{ } Wm^{-2}$ $= \mathbf{302 \text{ } Wm^{-2}}$	10:36	Same as above
IR Radiation Thermometer (ExTech 42512 or Mikron IR Thermometer)	L↑	Determine the percentage of the site at each temperature °C; total & convert to energy using Stefan-Boltzmann's law.	Snowy ground 100% @ -2°C	Weather conditions make all the L↑ temperatures the same this day. $T = (-2 \text{ } ^\circ C)(1.00)$ Convert to Kelvin = $(-2 \text{ } ^\circ C + 273.15)$ $= 271.15 \text{ K}$ Convert to $L\uparrow = \sigma T^4$ $L\uparrow = (5.67 \times 10^{-8} \text{ } Wm^{-2} \text{ K}^{-4}) \times (271.15 \text{ K})^4$ $= 306.49 \text{ } Wm^{-2}$ $= \mathbf{306 \text{ } Wm^{-2}}$	10:37	Same as above

TABLE 2a): Weather Station Data Matching Table 1a Observations

Site: Roof of the Research Lab Building (data from UNBC Wx Stn website) Date: Jan 15 2008, 10:30 AMWeather conditions: *clear and cold winter weather conditions*

UNBC Weather Station Instrument	Radiation Component	*UNBC Station Reading Times <i>(match your outdoor measurements as closely as possible)</i>	UNBC Station Measurement (Wm^{-2})
REBS Net Radiometer	Q^*	10:10 am	-3.94 Wm^{-2}
Eppley Pyranometer	$K\downarrow$	10:00 am	97.17 Wm^{-2}
Eppley Pyranometer	$K\uparrow$	10:00 am	57.63 Wm^{-2}
Kipp & Zonen IR Radiometer	$L\downarrow$	10:10 am	199.85 Wm^{-2}
Kipp & Zonen IR Radiometer	$L\uparrow$	10:10 am	237.66 Wm^{-2}

TABLE 2b): Weather Station Data Matching Table 1b Observations

Site: Roof of the Research Lab Building (data from UNBC Wx Stn website) Date: Jan 14 2008, 10:30 AMWeather Conditions: *snowing and warm winter weather conditions*

UNBC Weather Station Instrument	Radiation Component	*UNBC Station Reading Times <i>(match your outdoor measurements as closely as possible)</i>	UNBC Station Measurement (Wm^{-2})
REBS Net Radiometer	Q^*	10:30 am	-1.44 Wm^{-2}
Eppley Pyranometer	$K\downarrow$	10:30 am	21.27 Wm^{-2}
Eppley Pyranometer	$K\uparrow$	10:300 am	10.30 Wm^{-2}
Kipp & Zonen IR Radiometer	$L\downarrow$	10:40 am	309.45 Wm^{-2}
Kipp & Zonen IR Radiometer	$L\uparrow$	10:40 am	3 13.88 Wm^{-2}

TABLE 3a): Clear Weather Enclosed Site & Roof Data Comparisons:

Weather Conditions: *clear, cold winter day (snow covered ground; Jan. 15, 2008)*

Site:	α (calculated)	Q^* (measured) Wm^{-2}	$K\downarrow$ (measured) Wm^{-2}	$K\uparrow$ (measured) Wm^{-2}	$L\downarrow$ (measured) Wm^{-2}	$L\uparrow$ (measured) Wm^{-2}	Q^* (calculated) Wm^{-2}
Teaching & Learning Building loop	50%	-40	64	32	164	255	-59
Roof	N/A	-3.94	97.17	57.63	199.85	237.66	N/A

TABLE 3b): Snowy Weather Enclosed Site & Roof Data Comparisons:

Weather Conditions: *snowy warm winter day (snow covered ground; Jan. 14, 2008)*

Site:	α (calculated)	Q^* (measured) Wm^{-2}	$K\downarrow$ (measured) Wm^{-2}	$K\uparrow$ (measured) Wm^{-2}	$L\downarrow$ (measured) Wm^{-2}	$L\uparrow$ (measured) Wm^{-2}	Q^* (calculated) Wm^{-2}
Teaching & Learning Building loop	69%	-14	16	11	302	306	1
Roof	N/A	-1.44	21.27	10.30	309.45	313.88	N/A

Sample Calculations Using Clear Weather Data (Jan 15, 2008)

The table below is not expected in your answers. It is provided to show the Jan. 15, 2008 Table 1a) data used in the sample calculations below. **Your sample calculations must use your Table 1 values.**

Site: Drop-off loop on the east (city-side) of the Teaching & Learning Building (Bld. 10) sky conditions → Mostly clear sky, with cirrus clouds; -10°C; very light wind				
Q* _(measured) Net Radiometer reading	K↓ Pyranometer facing sky	K↑ Pyranometer facing ground	L↓ Sky object, proportion of sky dome & connected temperature	L↑ Ground object, proportion of ground view & temperature
-3.1 mV	1.22 mV	0.62 mV	Clear sky: 40% @ -48 °C Cloud (cirrus): 45% @ -47 °C Buildings: 10% @ -5 °C Glass: 5% @ -9 °C	Snowy ground: 80% @ -15 °C Snowy ground with gravel: 20% @ -11 °C.

Example calculations report the measurement, units, and calibrations used to obtain a final result. Because you are reporting answers in Wm^{-2} , keeping your calculation units as Wm^{-2} makes your computing easier. Contact your instructor if you have questions.

Model answers for the sample calculations:

- 1) **Q*** (measured): The multi-meter reading from the REBS 2 Net Radiometer = -3.1 mV
Compute Q* using the “bottom” (or negative) calibration coefficient as the millivolt reading is negative. [The REBS 2 positive calibration is: 12.73 Wm^{-2} per 1 mV or $12.73 \text{ Wm}^{-2} = 1 \text{ mV}$].

$$Q^* = (-3.1 \text{ mV}) \left(\frac{12.73 \text{ Wm}^{-2}}{1 \text{ mV}} \right) = -39.5 \text{ Wm}^{-2} = -40 \text{ Wm}^{-2}$$

- 2) **K↓**: the multi-meter measurement = 1.22 mV
Calibration coefficient: $19.02 \text{ } \mu\text{V}$ per 1 Wm^{-2} [meaning: $19.02 \text{ } \mu\text{V} = 1 \text{ Wm}^{-2}$ or $1 \text{ Wm}^{-2} = 19.02 \text{ } \mu\text{V}$]

$$\begin{aligned} K \downarrow &= (1.22 \text{ mV}) \left(\frac{1000 \text{ } \mu\text{V}}{1 \text{ mV}} \right) \left(\frac{1 \text{ Wm}^{-2}}{19.02 \text{ } \mu\text{V}} \right) \\ &= 64.14 \text{ Wm}^{-2} = 64.1 \text{ Wm}^{-2} = 64 \text{ Wm}^{-2} \end{aligned}$$

Alternatively you could convert the microvolt (μV) reading into its equivalent volts (V), so $19.02 \text{ } \mu\text{V} / \text{Wm}^{-2}$ becomes $19.02 \times 10^{-6} \text{ V}$ per 1 Wm^{-2} (or $1 \text{ Wm}^{-2} = 19.02 \times 10^{-6} \text{ V}$).

Now the calculation is:

$$\begin{aligned} K \downarrow &= (1.22 \text{ mV}) \left(\frac{1 \text{ V}}{1000 \text{ mV}} \right) \left(\frac{1 \text{ Wm}^{-2}}{19.02 \times 10^{-6} \text{ V}} \right) \\ &= 64.14 \text{ Wm}^{-2} = 64.1 \text{ Wm}^{-2} = 64 \text{ Wm}^{-2} \end{aligned}$$

3) $K \uparrow$: The multi-meter measurement = 0.62 mV

Calibration coefficient: $19.27 \mu\text{V} / \text{Wm}^{-2}$ (or $19.27 \times 10^{-6} \text{ V} / \text{Wm}^{-2}$ or $1 \text{ Wm}^{-2} = 19.27 \times 10^{-6} \text{ V}$)

$$\begin{aligned} K \uparrow &= (0.62 \text{ mV}) \left(\frac{1000 \mu\text{V}}{1 \text{ mV}} \right) \left(\frac{1 \text{ Wm}^{-2}}{19.27 \mu\text{V}} \right) \\ &= 32.17 \text{ Wm}^{-2} = 32.2 \text{ Wm}^{-2} = 32 \text{ Wm}^{-2} \end{aligned}$$

4) $L \downarrow$: The data below comes from the table at the top of page 6 (same as $L \downarrow$ Table 1a) values):

- 40% at -48°C (clear sky)
- 45% at -47°C (cirrus cloud)
- 10% at -5°C (buildings)
- 5% at -9°C (glass)

$$\begin{aligned} \text{Weighted sky temperature} &= [0.40 \times (-48^\circ\text{C})] + [0.45 \times (-47^\circ\text{C})] + [0.10 \times (-5^\circ\text{C})] + [0.05 \times (-9^\circ\text{C})] \\ &= [(-19.2) + (-21.15) + (-0.5) + (-0.45)]^\circ\text{C} \\ &= -41.3^\circ\text{C} \text{ (site temperature)} \end{aligned}$$

Convert site temperature in $^\circ\text{C}$ to Kelvin = $(-41.3^\circ\text{C}) + 273.15 \text{ K} = 231.85 \text{ K}$

Use Stephan Boltzman's Law to determine the radiation emitted by 231.85 K in Wm^{-2}

$$L \downarrow = \sigma T^4 = (5.67 \times 10^{-8} \frac{\text{Wm}^{-2}}{\text{K}^4}) (231.85 \text{ K})^4 = 163.84 \text{ Wm}^{-2} = 164 \text{ Wm}^{-2}$$

5) $L \uparrow$: The data below comes from the table at the top of page 6 (same as $L \uparrow$ Table 1a) values):

- 80% at -15°C (snowy ground)
- 20% at -11°C (snowy ground with gravel)

$$\text{Weighted ground temperature} = [0.80 \times (-15^\circ\text{C})] + [0.20 \times (-11^\circ\text{C})] = -14.2^\circ\text{C} \text{ (site temperature)}$$

Convert site temperature in $^\circ\text{C}$ to Kelvin = $(-14.2^\circ\text{C}) + 273.15 \text{ K} = 258.95 \text{ K}$

Use Stephan Boltzman's Law to determine the radiation emitted by 258.95 K in Wm^{-2}

$$L \uparrow = \sigma T^4 = (5.67 \times 10^{-8} \frac{\text{Wm}^{-2}}{\text{K}^4}) (258.95 \text{ K})^4 = 254.95 \text{ Wm}^{-2} = 255 \text{ Wm}^{-2}$$

6) α : The albedo for the snowy ground cover experienced on Jan 15, 2008.

$$\alpha = \frac{K \uparrow}{K \downarrow} = \frac{32 \text{ Wm}^{-2}}{64 \text{ Wm}^{-2}} = 0.50 \text{ (often expressed as a \%)} \rightarrow 50\%$$

7) Q^* (calculated – determined using the measured components above):

$$\begin{aligned} Q^* &= (K \downarrow - K \uparrow) + (L \downarrow - L \uparrow) \\ &= [(64 - 32) + (164 - 255)] \text{ Wm}^{-2} \\ Q^* &= -59 \text{ Wm}^{-2} \end{aligned}$$

Model Answers - Lab Questions & Explanations

- 1) The data for each lab section is shown by the UNBC Wx Stn graph at the end of these model answers. Also use Tables 1a, 2a, 3a (for clear) or 1b, 2b, 3b (for heavy cloud) conditions depending on the weather your lab experienced.

Ensure your data tables demonstrate good field note practices (that you recorded all site, date, and participant information (first & last names) and indicated your data recorder's names.)

For each *Sample Calculation* ensure that you indicate the equation used, values used, how units change when converting, and the steps involved in computing your answer.

- 2) *What does the albedo indicate; what does it represent, does it vary, why might differences occur?*

Albedo (α) tells us the fraction of incoming solar radiation that is reflected by a surface (often reported as a percentage). It depends on the reflective properties of the materials at a site. More reflective surfaces are generally lighter coloured (e.g. clean ice) and have higher albedos than less reflective surfaces which are generally darker. Fresh snow can make the ground and resulting albedo more uniform.

The amount of cloud cover does not affect albedo as the proportion of reflected sunlight remains the same regardless of how much sunlight enters the system. Albedo's change when a surface's material properties change.

Albedo is always determined from $K\downarrow$ and $K\uparrow$ values that are measured at the same location, at the same time. Albedos greater than 1 are errors; a surface can't reflect more energy than it receives. Similarly, negative albedos do not exist as there is no negative sunlight. If your albedo value is negative or greater than 1, check your math. If your arithmetic is correct, a measurement or method error may be your problem.

- 3) *When comparing and explaining your Table 3 radiation measurements with the UNBC Weather Station (Wx Stn) radiation values, your answer will vary with the conditions you experienced [as seen in Tables 3a) & 3b)] but, it must follow the logic below and explain how /why similarities and /or differences occur.*

Compare and explain:

- a) **Enclosed site $K\downarrow$ and $L\downarrow$ values with UNBC Wx Stn (roof) $K\downarrow$ and $L\downarrow$ values.**

- **Different measurement strategies:** The roof values are based on measurements taken every second that are averaged and reported for every minute (or every 10 minutes, depending on which data you used). In contrast, your measurements represent a single observation at a particular time. The impact of these different measuring strategies is greatest when sky /weather conditions are changing rapidly (clearing to cloudy; clouds thickening and thinning).
- **Sky view differences between the UNBC Wx Stn and the enclosed site:** The roof instruments are elevated much higher off the ground and their sky-view is essentially 100% unobstructed. Being elevated can also result in a slightly different temperature. The enclosed site has more obstructing objects creating different object temperatures, shading issues, and heat absorption /emission properties.
- **Human errors when visually estimating the proportion of different objects /surfaces at the enclosed site for longwave measurements.** (Using fisheye lens photos could make apportioning of site components more accurate as the areas occupied by each object could be quantified.) This is

what the roof top UNBC Wx Stn does using the pyrgeometer (an instrument that integrates all the $L\downarrow$ radiation into a single $L\downarrow$ value). It is a more accurate way to measure $L\downarrow$.

b) Measured enclosed site Q^* with the measured UNBC Wx Stn Q^* .

- **Differences in sky /ground view exposure:** The Wx Stn is nearly 100% unobstructed as it is on a narrow roof, that is elevated about 30 meters above the ground. This allows more $K\downarrow$ but also changes $K\uparrow$ and $L\uparrow$ which depend on albedo ($K\uparrow$) and surface temperatures ($L\uparrow$). The roof weather station usually has cooler air temperatures. It also “sees” more ground surfaces though from farther away. At the enclosed site, $K\downarrow$ is obstructed by buildings, trees and the people while we were measuring. These obstructions increase $L\downarrow$ values due to their warmer surface temperatures and limit $K\downarrow$ values. Consequently, the roof and your Q^* measurements aren’t directly comparable.
- **Different measurement strategies:** The roof Q^* values are based on measurements taken every second that are averaged and reported for every minute (or 10 minutes, depending on which data you used). In contrast, your measurements represent a single observation at a particular time. The impact of these different measuring strategies is greatest when sky /weather conditions change rapidly (e.g. clearing to cloudy; clouds thickening and thinning).

c) Enclosed site calculated Q^* (from $Q^* = (K\downarrow - K\uparrow) + (L\downarrow - L\uparrow)$ with enclosed site measured Q^* (from your net radiometer reading).

- **Different measurement strategies:** Understand that a net radiometer (measured Q^*) ‘sees’ and integrates all the components of the radiation balance into a simultaneous, single measurement, while the calculated Q^* from ($Q^* = K^* + L^*$) is composed of four different measurements, made at slightly different times, using two different types of instruments (and their associated errors).
Even slightly different measuring times for $K\downarrow$, $K\uparrow$, $L\downarrow$, $L\uparrow$ data can have a big impact on Q^* under variable sky /weather conditions. A calculated Q^* is very different from a measured Q^* if $K\downarrow$, $K\uparrow$, $L\downarrow$, $L\uparrow$ measurements are not synchronized. $K\downarrow$ can have an especially large /rapid impact on Q^* . $L\downarrow$ changes are noticeable but because sky temperature responds more slowly to changing sky conditions, these changes are often smaller, and occurs over longer periods of time.
- **Cumulative errors (whether instrument, method, or human) have more impact on a calculated Q^* because there are more readings.** As each instrument has its own associated error, and taking more measurements results in more opportunities for human errors, both of these can decrease the accuracy of your calculated Q^* value.

4) Potential sources of error involved with these radiation measurements: Consider the major errors; group them as method errors, human errors, and instrument errors. Ensure your answer accounts for the errors that created your result issues.

- **Method errors** are inherent in the technique /way a measurement is made; they cannot be eliminated unless the measurement method is changed. Method issues are:
 - * Taking $L\downarrow$ and $L\uparrow$ readings at slightly different times from each other and the Q^* , K^* readings, when these are intended to represent a single instantaneous measurement
 - * Not having instrument stands to hold the instruments stable, and at the correct horizon angles and correct heights above the ground. Not using instrument stands also caused

one (or more) people to remain near /obstruct instruments as measurements were taken, and increased human errors.

- * Using rough estimates ($\pm 5\%$) to apportion sky view /ground view areas for $L\downarrow$ and $L\uparrow$ temperature measurements instead of using fish-eye lens photographs /other quantitative methods.

- **Human errors:**

- * people blocking the instrument's view;
- * not leveling instruments properly (horizon's not being correct) which can result in radiation from sources that should not be part of a measurement (i.e. when measuring incoming radiation or Q^* , an instrument that is not level may mistakenly include outgoing radiation).
- * moving around within the site between readings so that each measurement is not originating at the same spot
- * incorrect estimates proportioning object /surface types at each site, and insufficient temperature sampling of each object /surface type for longwave radiation measurements;
- * calculation errors

- **Instrument errors** exist for each instrument and are up to 10%. Instrument error details are in the Lab Background Information and should be incorporated in this answer.

- 5) Relate your measured Radiation Balance values (Q^* , $K\downarrow$, $K\uparrow$, $L\downarrow$, $L\uparrow$) to the outdoor environmental conditions at the time of your measurement (sky, time of day, site, weather variability).

Your answer should follow these patterns and incorporate points from the graphs and explanations for your particular lab days at the end of these model answers.

- $K\downarrow$: Exists only during the day. On a clear day, it is zero at sunrise and gradually increases to a maximum at midday; then $K\downarrow$ decreases to zero again at sunset. On a cloudy day, the pattern is similar but much reduced as solar radiation is attenuated by varying layers /thickness of cloud. Foggy days further reduce radiation.
- $K\uparrow$: Regardless of sky conditions, $K\uparrow$ is always a proportion of $K\downarrow$. It is dependent on amount of incoming solar radiation ($K\downarrow$) and the albedo (α) which depends on the type of surface. Rain /snow (or even wind on water) can rapidly change the albedo of a surface.
- $L\uparrow$ depends on an object's or surface's temperature which depends on the object's or surface's exposure to solar radiation, daily /seasonal heating variations, and the surface albedo. Generally, $L\uparrow$ fluctuates more than $L\downarrow$ as surface temperatures change more than sky temperatures.
- $L\downarrow$ depends on sky temperatures. $L\downarrow$ is smaller under clear skies due to cooler sky temperatures, and greater under cloudy conditions as clouds retain heat and cause warmer sky temperatures. $L\downarrow$ is determined by the Stephan-Boltzman law which indicates a big change in longwave radiation when there is a small change in temperature. $L\downarrow$ changes more slowly and varies less than $K\downarrow$.
- Q^* variation is dominated by $K\downarrow$ during daytime regardless of clear or cloudy conditions and follows the pattern of $K\downarrow$. It is muted in comparison to $K\downarrow$ due to $K\uparrow$ and $L\uparrow$ removing energy. Under cloudy conditions, Q^* increases as higher $L\downarrow$ values contribute to Q^* . This is most clearly seen at night when Q^* patterns are simplified because there is no shortwave radiation ($K\downarrow = 0$); thus Q^* is usually negative at night.

Fig. 2 UNBC Wx Stn Conditions Tues Jan 14th to Thurs Jan 16th 2025. Use graphs to evaluate answers 3 & 5 but remember at our site, $L\downarrow$ could be increased because buildings /trees can be warmer than the sky.

The graph (below) shows the radiation and weather conditions during our labs. Tuesday and Wednesday labs made observations just before sunset and had similar weather (mostly cloudy with dominantly mid-level clouds, about 3 °C and strong southerly winds with stronger winds on Wednesday). Thursday's mid-morning lab continued Wednesday's temperature and wind conditions but had more daylight and fewer and more variable clouds. These conditions dominantly affect your incoming short and longwave ($K\downarrow$ and $L\downarrow$) values. See the next page for more detailed explanations.

The differently coloured vertical lines show each lab's measurement time and the connections between radiation components and the observed weather but remember that your measuring site is impacted by buildings and trees, while the UNBC Wx Stn is unobstructed.

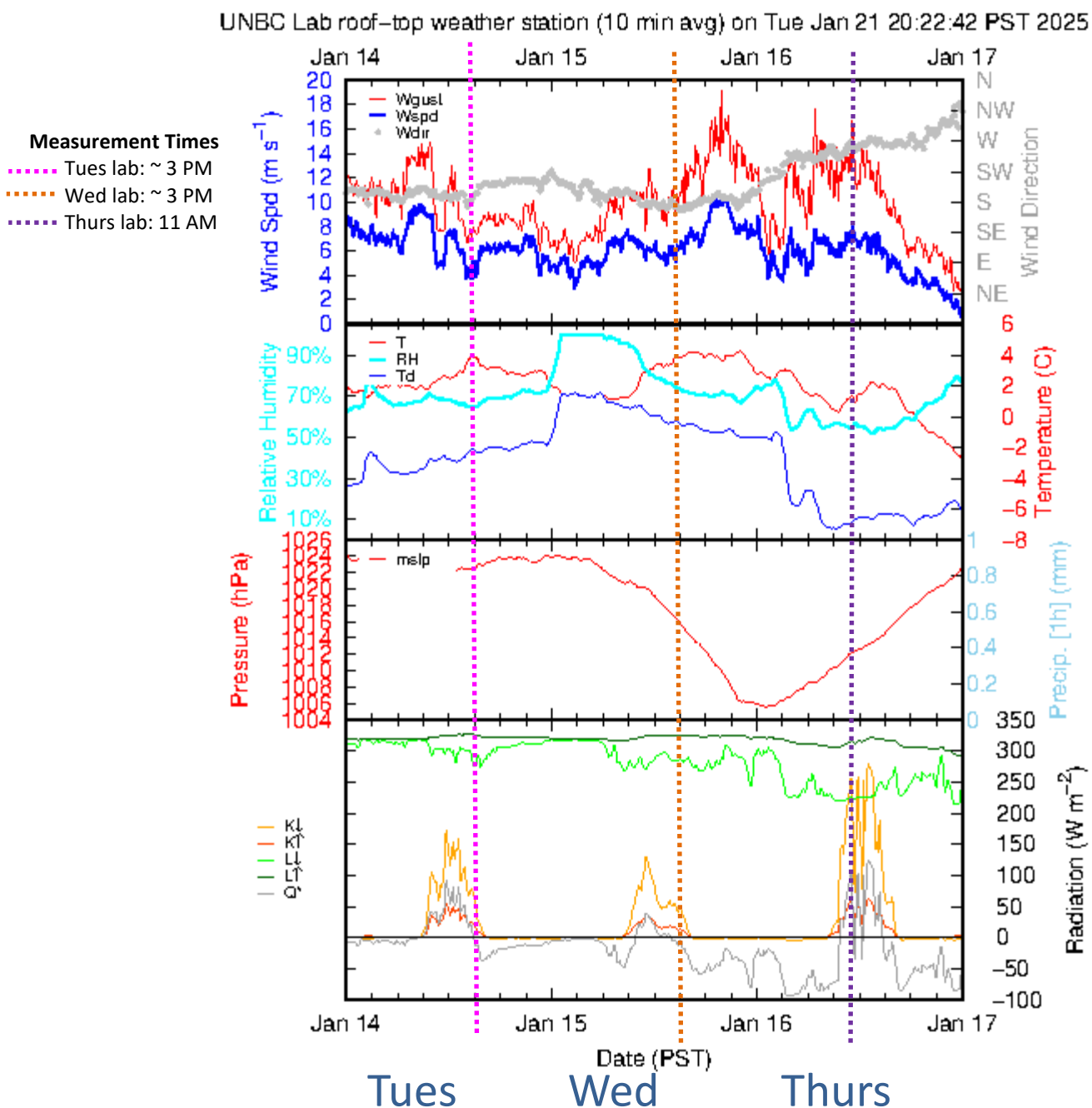


Fig. 3 A Closer Look at the Radiation Patterns. UNBC Wx Stn Radiation measurements during Lab 2 (Tues Jan 14th to Thurs Jan 16th 2025). The Tuesday and Wednesday labs had lower $K\downarrow$ (gold line) values than the Thursday lab because they made observations when the sun was lower in the sky (further away from noon) and they had more cloud cover. However, the cloudier skies on Tue. and Wed. also caused greater $L\downarrow$ values as clouds have higher temperatures (more longwave radiation) than clear skies. And because the air and surface temperatures were so similar on all three lab days, the $L\uparrow$ values were steady.

So, while the net longwave (L^*) value is negative on all three days, it is more negative on Thursday when it was less cloudy. And although $L\downarrow$ was greater on Tuesday and Wednesday (increasing the net radiation, Q^*), Q^* was greater on Thursday because $K\downarrow$ was much larger.

UNBC Wx Stn, Research Lab roof-top, 10 min average values for Tues Jan 14th to Thurs Jan 16th 2025

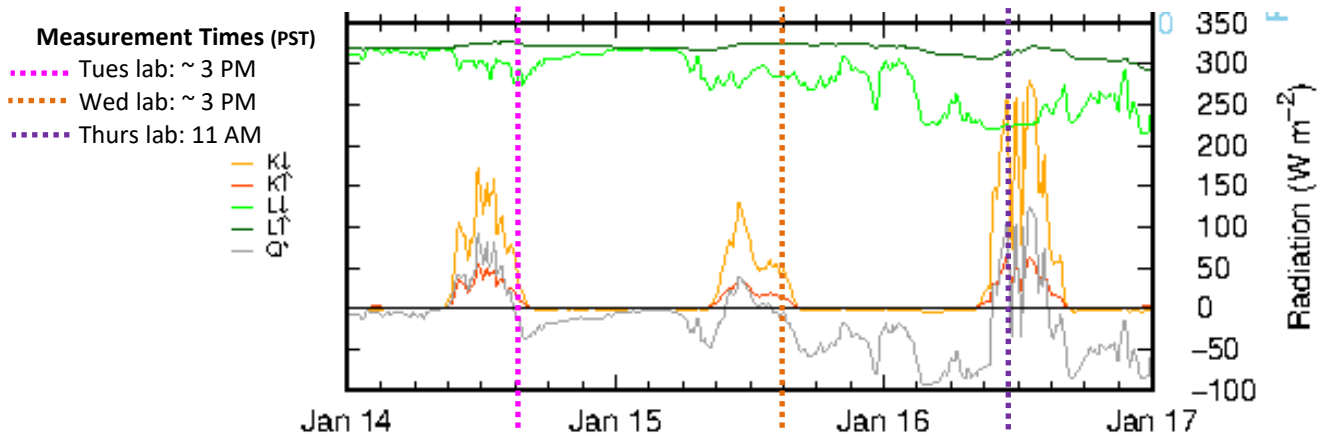


Fig. 4. A sky view photo of the site used for these model Answers.

